

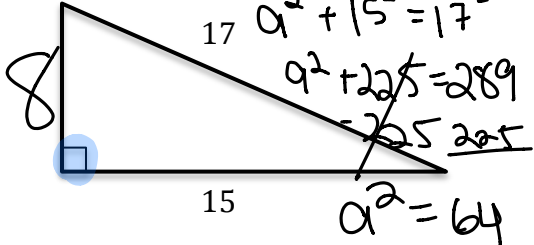
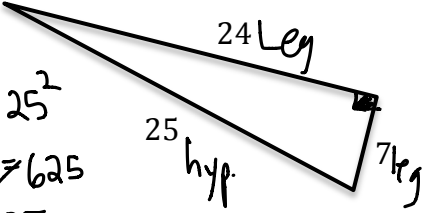
Mr. Rogove

Date: _____

LEARNING OBJECTIVE: We will use the Pythagorean Theorem to introduce the concept of irrational numbers. (G8M7L1)

ACTIVATING PRIOR KNOWLEDGE:

We know what the Pythagorean theorem is AND its converse.

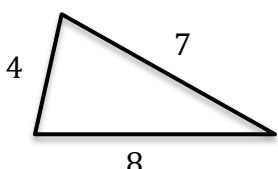
<p>Find the length of the missing side of the triangle below.</p>  <p> $a^2 + b^2 = c^2$ $a^2 + 15^2 = 17^2$ $a^2 + 225 = 289$ $a^2 = 64$ </p>	<p>How can we prove the triangle below is a right triangle?</p>  <p> $7^2 + 24^2 = 25^2$ $49 + 576 = 625$ $625 = 625$ </p>
--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------	---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------

CONCEPT DEVELOPMENT:

Pythagorean Theorem: If the lengths of the legs of a right triangle are a and b , and the length of the hypotenuse is c , then $a^2 + b^2 = c^2$.

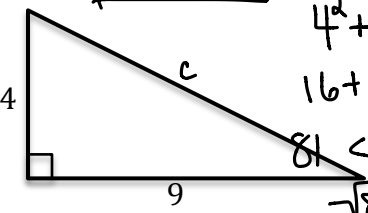
Converse of the Pythagorean Theorem: If the sum of the squares of the lengths of two shorter legs of a triangle equals the square of the length of the longest leg, the triangle is a right triangle.

What can we say about the following triangle?



$4^2 + 7^2 \neq 8^2$
 $16 + 49 \neq 64$
 $65 \neq 64$

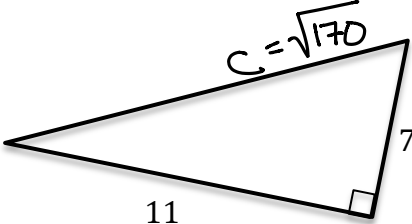
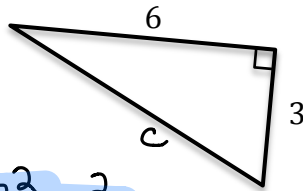
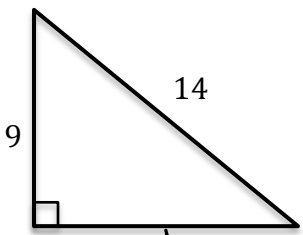
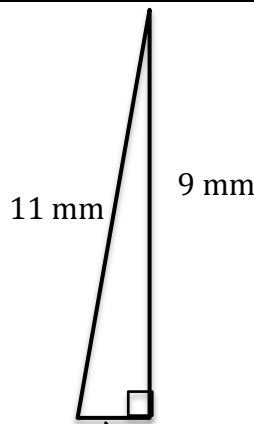
How can we figure out the length of the missing side of this triangle? (estimate as between 2 integers)



$4^2 + 9^2 = c^2$
 $16 + 81 = c^2$
 $97 = c^2$
 $81 < 97 = c^2 < 100$
 $\sqrt{81} < c = \sqrt{97} < \sqrt{100}$
 c is between 9 and 10. Closer to 10.

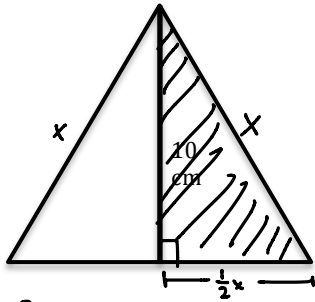
GUIDED PRACTICE:**Steps for Determining The Length of Missing Sides of Right Triangles**

1. Recall the Pythagorean Theorem ($a^2 + b^2 = c^2$).
2. Substitute the length of the given side into the theorem.
3. Solve for the missing side length.
4. If the square of the missing side length is NOT a perfect square, estimate its approximate value as between two integers.

 <p> $7^2 + 11^2 = c^2$ $49 + 121 = c^2$ $169 < 170 = c^2 < 196$ c is between $13\frac{1}{2}$ and 14, closer to 13 </p>	 <p> $6^2 + 3^2 = c^2$ $36 + 9 = c^2$ $36 < 45 = c^2 < 49$ c is between $6\frac{1}{2}$ and 7, but closer to 7. </p>
 <p> $9^2 + b^2 = 14^2$ $81 + b^2 = 196$ $-81 \quad -81$ $100 < b^2 = 115 < 121$ b is between $10\frac{1}{2}$ and 11, but closer to 11. </p>	 <p> $9^2 + b^2 = 11^2$ $81 + b^2 = 121$ $36 < b^2 = 40 < 49$ </p>

b is between $6\frac{1}{2}$ and 7 , but closer to 6 .

Find the side length of the **equilateral** triangle below.



$$\left(\frac{1}{2}x\right)^2 + 10^2 = x^2$$

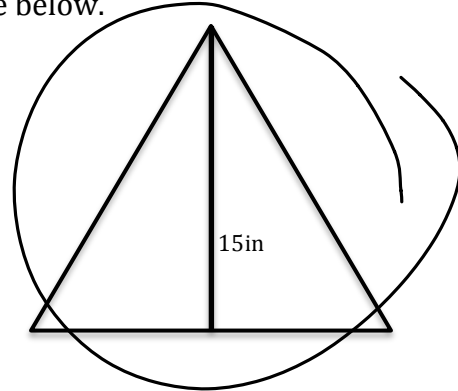
$$\frac{1}{4}x^2 + 100 = x^2$$

$$-\frac{1}{4}x^2 \quad -\frac{1}{4}x^2$$

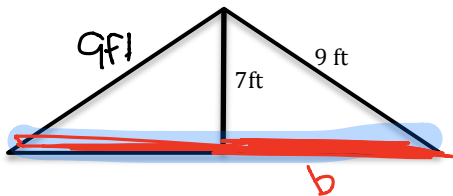
$$\left(100 = \frac{3}{4}x^2\right)^{\frac{4}{3}}$$

$121 < 133\frac{1}{3} = x^2 < 144$
 x is between $11\frac{1}{2}$ and close to the middle.

Find the side length of the **equilateral** triangle below.



Find the length of the base of the **isosceles** triangle below.



$$7^2 + b^2 = 9^2$$

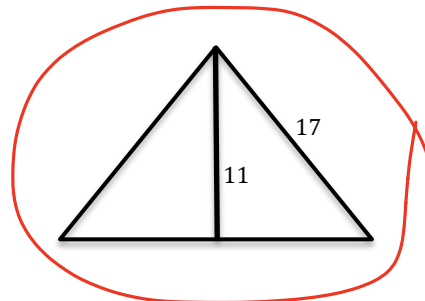
$$49 + b^2 = 81$$

$$b^2 = 32$$

b is between $5\frac{1}{2}$ and 6 , but closer to 6 .

The base is between $11\frac{1}{2}$ and 12 .

Find the length of the base of the **isosceles** triangle below.



$$11^2 + b^2 = 17^2$$

$$121 + b^2 = 289$$

$$b^2 = 168$$

b is between $12\frac{1}{2}$ and 13 .

NAME: _____

Math _____, Period _____

Mr. Rogove

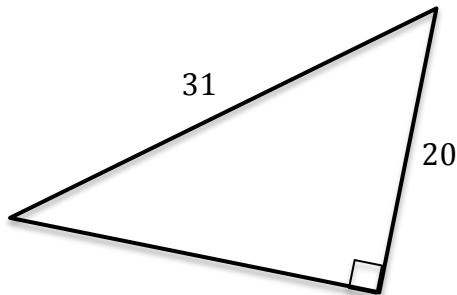
Date: _____

INDEPENDENT PRACTICE:

Problem Set from Lesson 1, Mod 7 Grade 8 will be independent practice. Should not take too long.

CLOSURE:

Find the length of the missing side



NOTES:

This aligns to Lesson 1, Module 7 Incorporate Estimating Square Roots NCTM?

Need to do the Module 2 lessons on Pythagorean theorem before this one for Math 8.

